

TIME SERIES ANALYSIS WITH R

Computer class 23th April

OUTLINE

1. Getting started
 - 1.1. Downloading and Installing R
 - 1.2. Installing 'tseries'
2. Working with series
3. Model specification and estimation
4. Diagnostic checking
5. Simulations of ARMA(p,q) models

1.1. DOWNLOADING AND INSTALLING R

- Go to the web page: <http://www.r-project.org/>
- Then, go to the box Getting started and click on [download R](#)
- Then select any of the options, for example University of Bristol and choose which type of download you prefer:
 - [Download R for Linux](#)
 - [Download R for \(Mac\) OS X](#)
 - [Download R for Windows](#)

1.1. DOWNLOADING AND INSTALLING R

- Now, you are ready to work with R!!!

1.2. INSTALLING 'TSERIES'

- We are going to install package “tseries” to work with time series.

This can be done either by

1. Clicking in package/install package/tseries
2. In R console, type the command type the command

install.packages("tseries") # install it ... you'll be asked to choose the closest CRAN mirror

library(tseries) # then load it (has to be done at the start of each session)

1.2. INSTALLING 'TSERIES'

- For information about the package write `help(tseries)`
- Other useful packages: `timeSeries`, `atsa`, `timeDate`, `Rcmdr`, `TeachingDemos`...

2. WORKING WITH SERIES

- Today we are going to specify an ARIMA model for the European Industrial Production Index.
- To read the data type:

```
ipi <- read.csv(file= "C:/Users/Juan de  
Dios/Desktop/jtena/Clases/Clases_Carlos_III/Temas_doctorado/IPI.dat ", head=TRUE, sep= "")
```

2. WORKING WITH SERIES

- Give the command at least one of three arguments. The first argument is the name of file. The second argument indicates whether or not the first row is a set of labels. The third argument indicates that there is a comma between each number of each line.
- `ipi` *# print it to the screen It gives the European industrial production index and its five disaggregates by economic destination*

2. WORKING WITH SERIES

- Other useful commands are:

`ipi[,1]` # *the first column*

`ipi[1,]` # *the first row*

`nipi=ipi[-(1:80),]` # *keep everything EXCEPT the first 80 rows*

`dim(ipi)` # *gives the number of rows and columns of the matrix*

`nrow(ipi)` # *number of rows*

`ncol(ipi)` # *number of columns*

2. WORKING WITH SERIES

- *However, what we have now is just a matrix of data. To make time series of these objects type*

```
y = ipi[,1] #take the first column of the matrix
```

```
y=ts(y,star=1991,frequency=12) #transform the  
vector into a time series
```

2. WORKING WITH SERIES

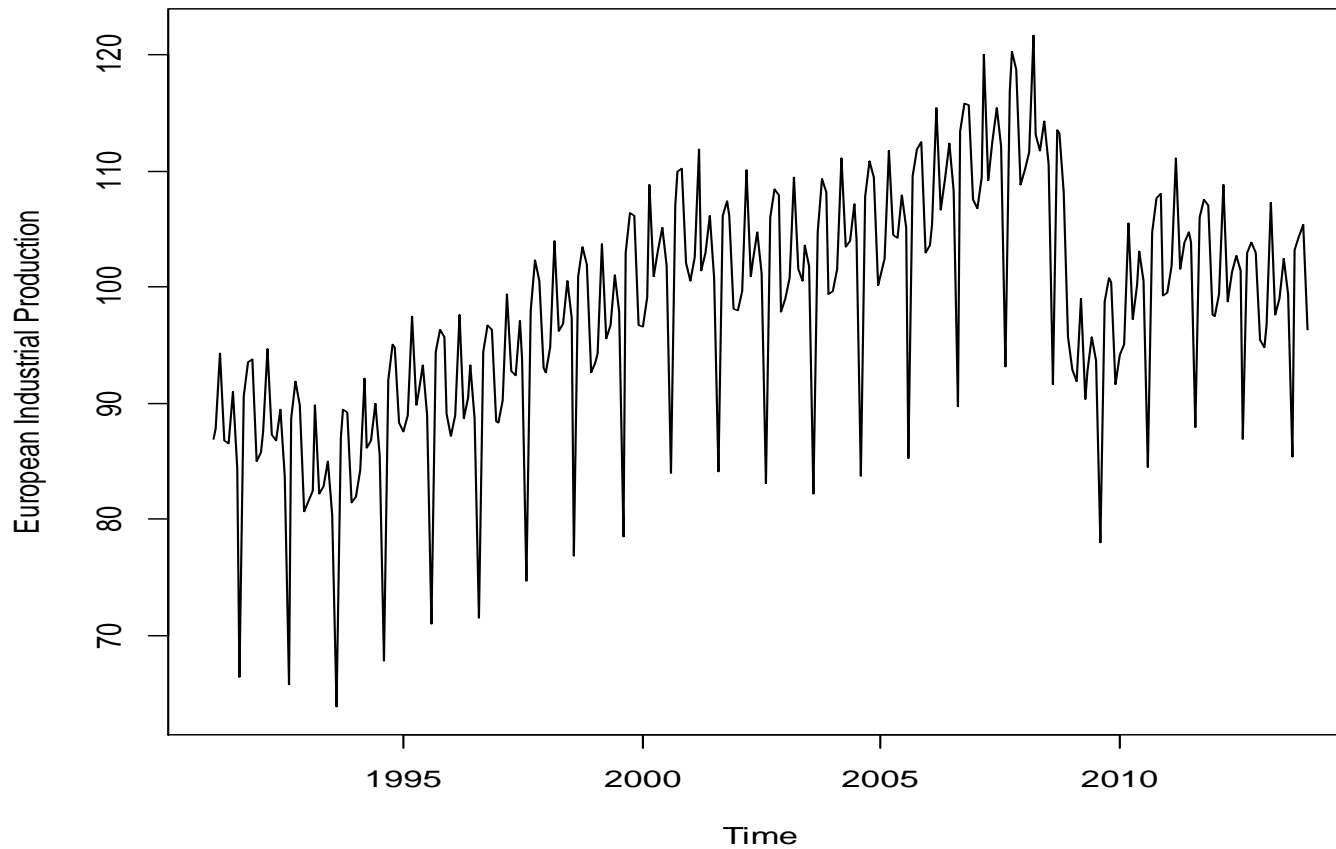
- We can plot the data

```
plot(y, ylab=" European Industrial Production ",  
main=" Non seasonally adjusted series ")
```

- We can also copy the figure by clicking on the right bottom of the mouse. Then select 'Copy as a metafile' and past it to your document.

2. WORKING WITH SERIES

Non seasonally adjusted series



2. WORKING WITH SERIES

- What do you think about the features of this series:
 - Trend
 - Seasonality
 - Logarithmic transformation
 - Effect of the economic crisis

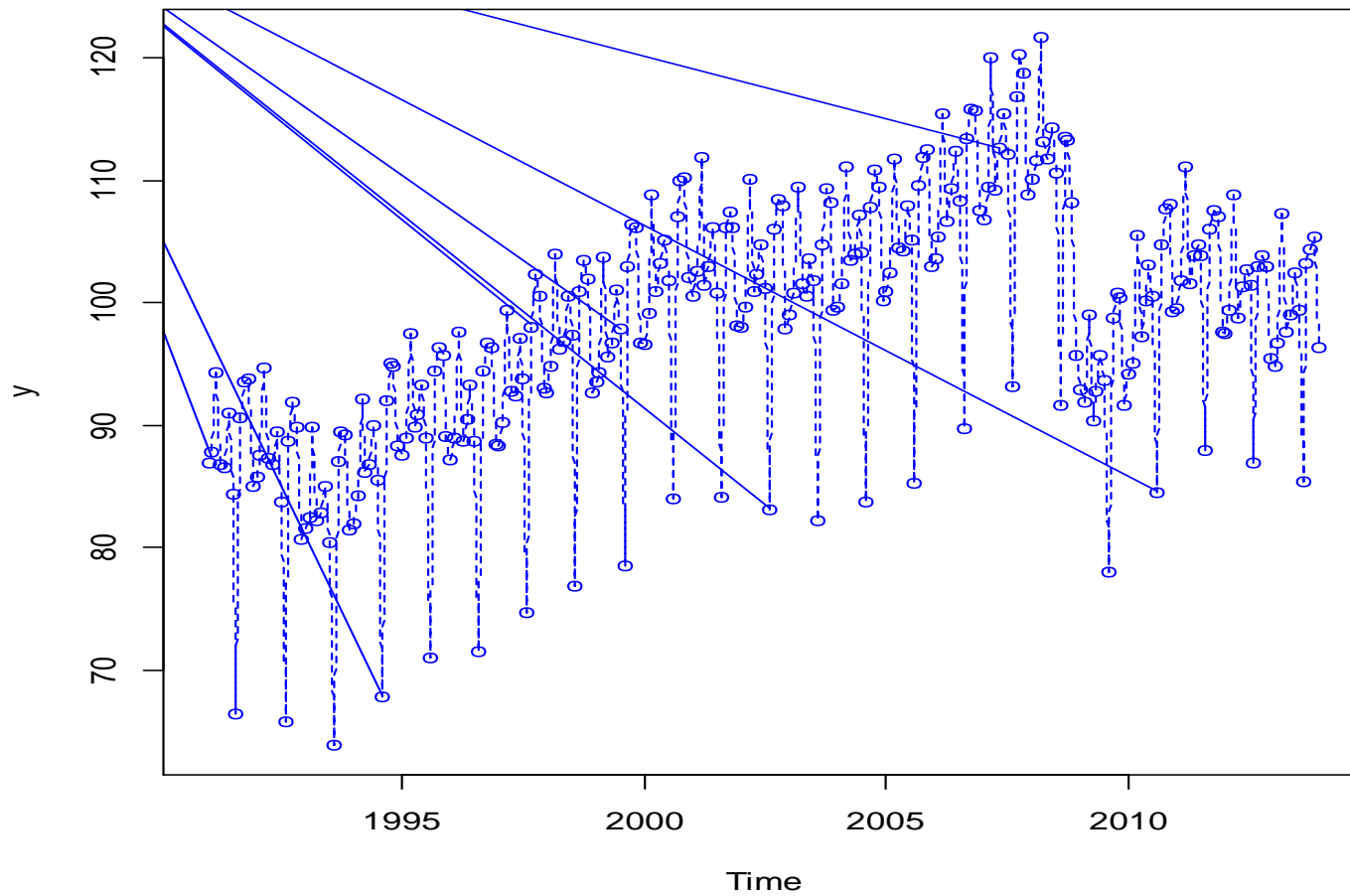
2. WORKING WITH SERIES

- Try these and see what happens:

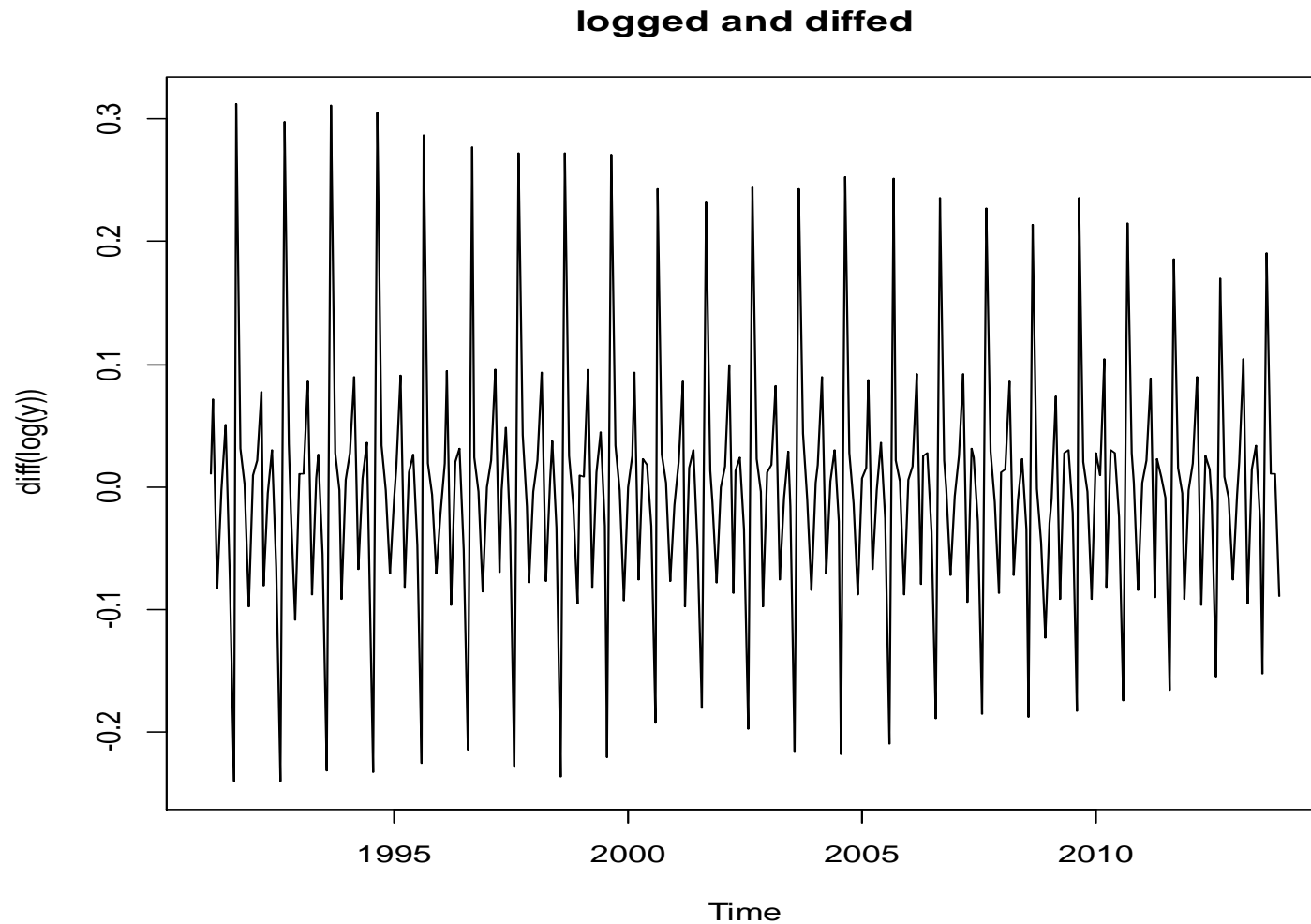
```
plot(y, type="o", col="blue", lty="dashed")
```

```
plot(diff(log(y)), main="logged and diffed")
```

2. WORKING WITH SERIES



2. WORKING WITH SERIES



3. MODEL SPECIFICATION AND ESTIMATION

- We need to decide about the presence of a unit root. This decision is undertaken by means of Dickey-Fuller tests.

```
adf.test(log(y))
```

```
adf.test(diff(log(y)))
```

```
adf.test(diff(log(y),12))
```

```
adf.test(diff(diff(log(y)),12))
```

3. MODEL SPECIFICATION AND ESTIMATION

- We also look at the correlograms

`acf(log(y),48)`

`acf(diff(log(y)),48)`

`acf(diff(log(y),12),48)`

`acf(diff(diff(log(y)),12),48)`

3. MODEL SPECIFICATION AND ESTIMATION

- How many differences do you think this series requires to become stationary?

3. MODEL SPECIFICATION AND ESTIMATION

- Although the series with only one regular difference seems to be stationary according to the ADF test, the correlogram reveals the presence of a seasonal behavior that is not stationary.
- The series with only one seasonal difference shows a persistent autocorrelation behavior in its correlogram.
- So, we undertake a conservative approach and consider that the IPI series need a regular and a seasonal difference to become stationary.

3. MODEL SPECIFICATION AND ESTIMATION

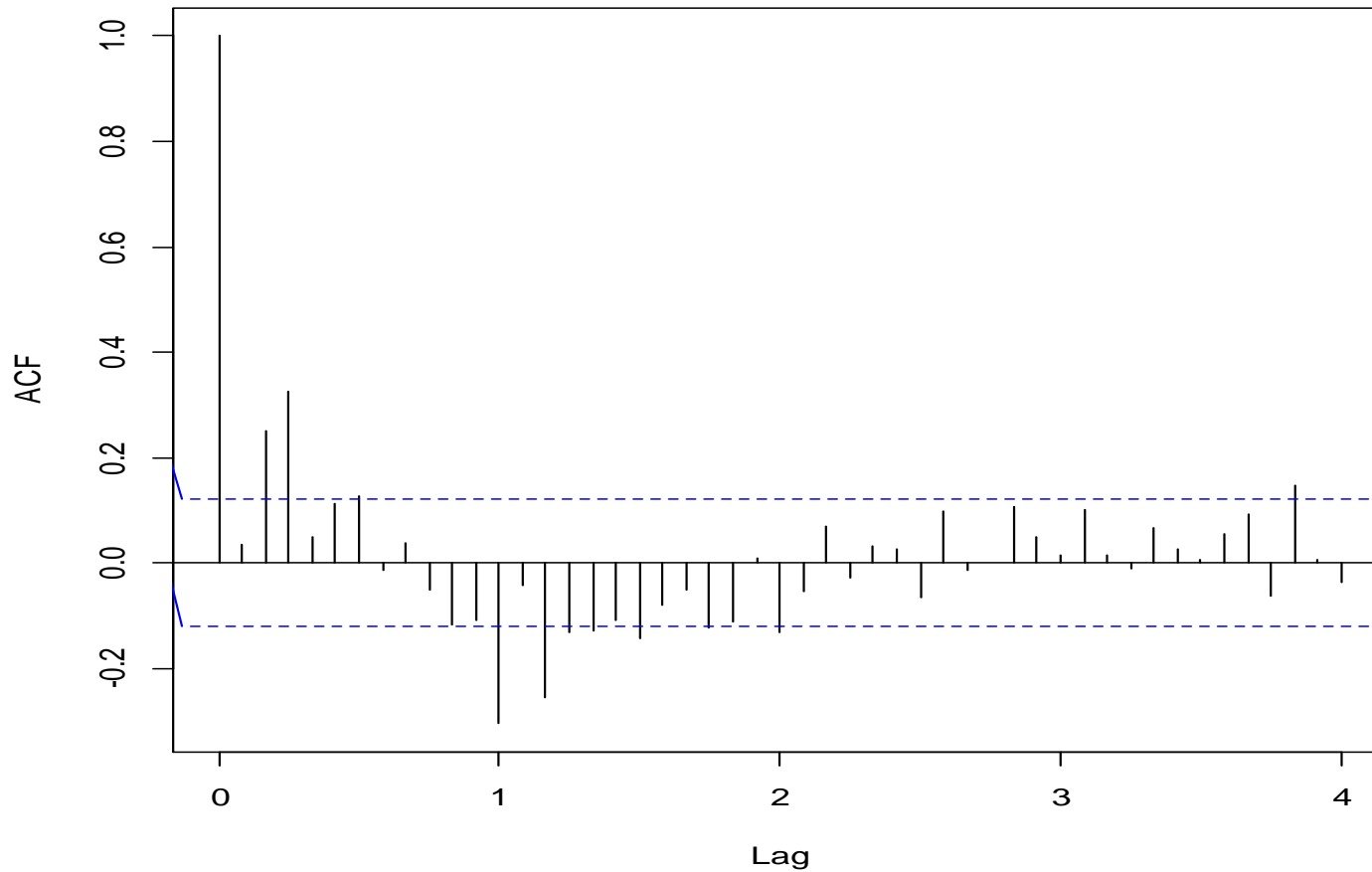
- We propose an arima model for this series based on its correlogram and partial correlogram

`acf(diff(diff(log(y)),12),48)`

`pacf(diff(diff(log(y)),12),48)`

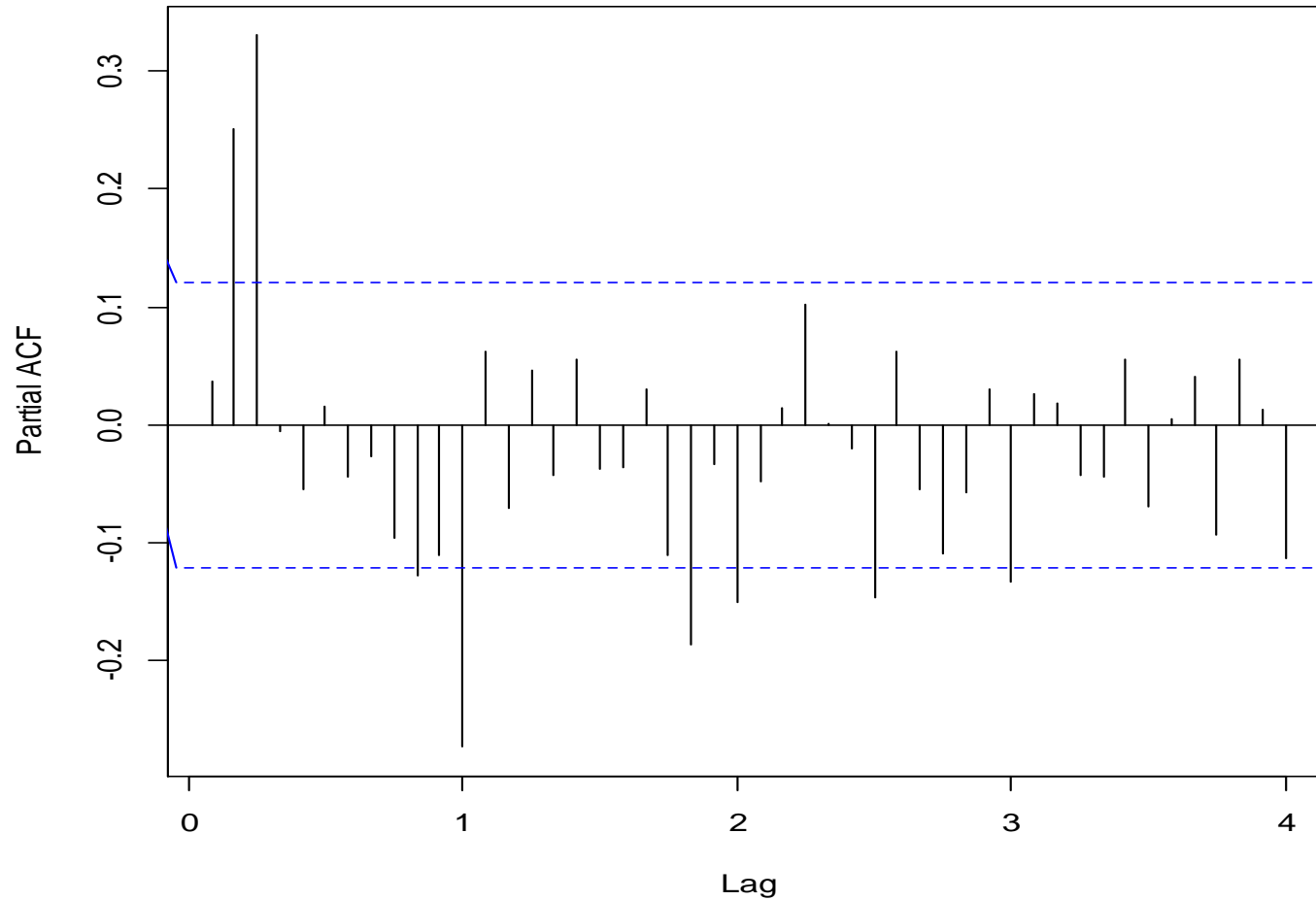
3. MODEL SPECIFICATION AND ESTIMATION

Series `diff(diff(log(y)), 12)`



3. MODEL SPECIFICATION AND ESTIMATION

Series $\text{diff}(\text{diff}(\log(y)), 12)$



3. MODEL SPECIFICATION AND ESTIMATION

- There is not a clear structure but it seems there is a cut-off at the regular and seasonal lags. Therefore, a tentative specification is an

ARIMA(0,1,1)x(0,1,1) model.

```
model <- arima(diff(diff(log(y)),12), c(0, 1, 1),  
  seasonal = list(order = c(0, 1, 1), period = 12))
```

3. MODEL SPECIFICATION AND ESTIMATION

- What do you think about the estimation?
- What alternative estimation would you propose?

Type the following commands

```
aicmodel<-model$aic
```

```
res<-residuals(model)
```

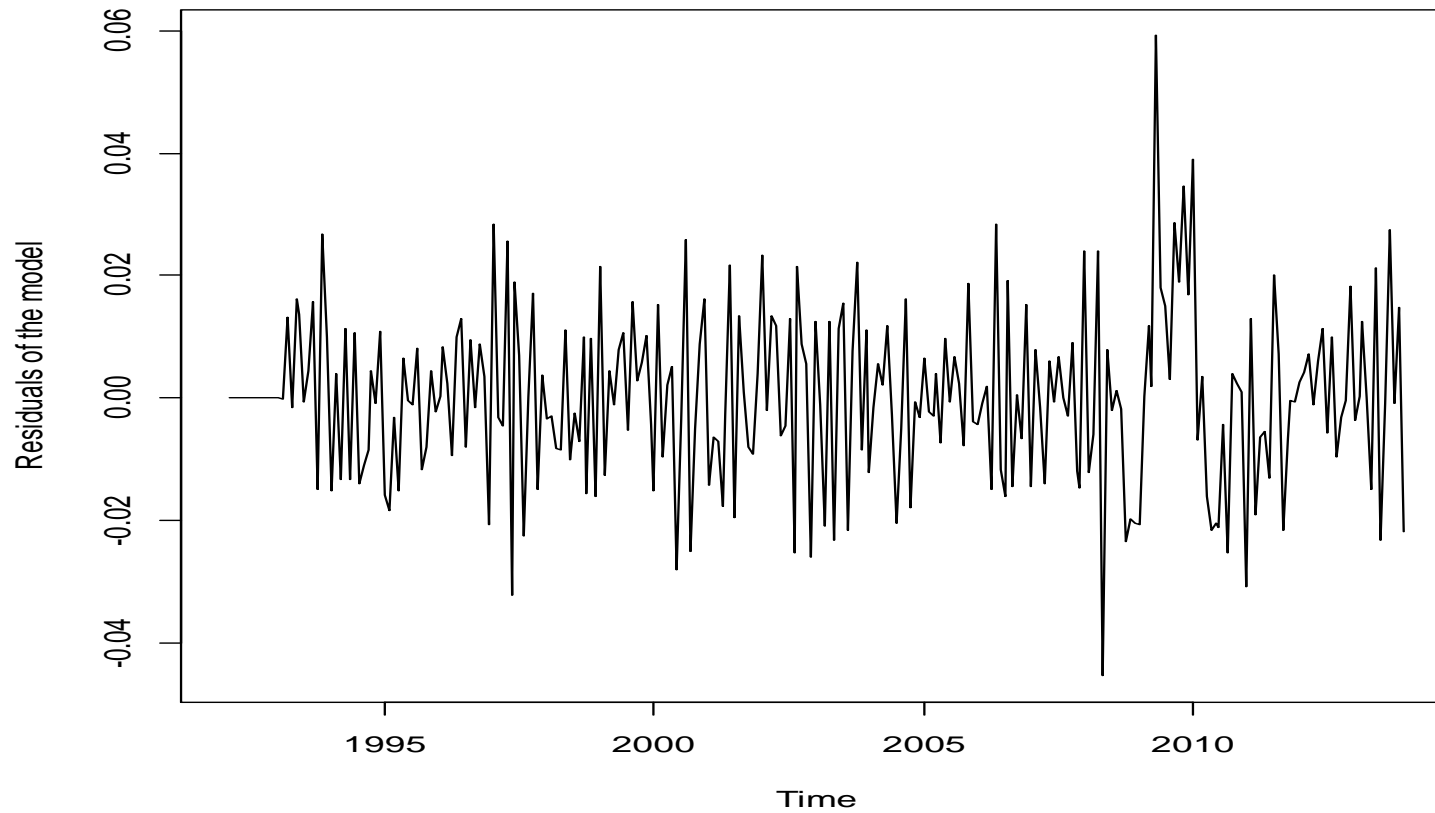
4. DIAGNOSTIC CHECKING

- The two estimated parameters are significant.
- Let's have a look at the residuals

```
plot(residuals(model), ylab=" Residuals of the  
model ", main=" Airline Model ")
```

4. DIAGNOSTIC CHECKING

Airline Model



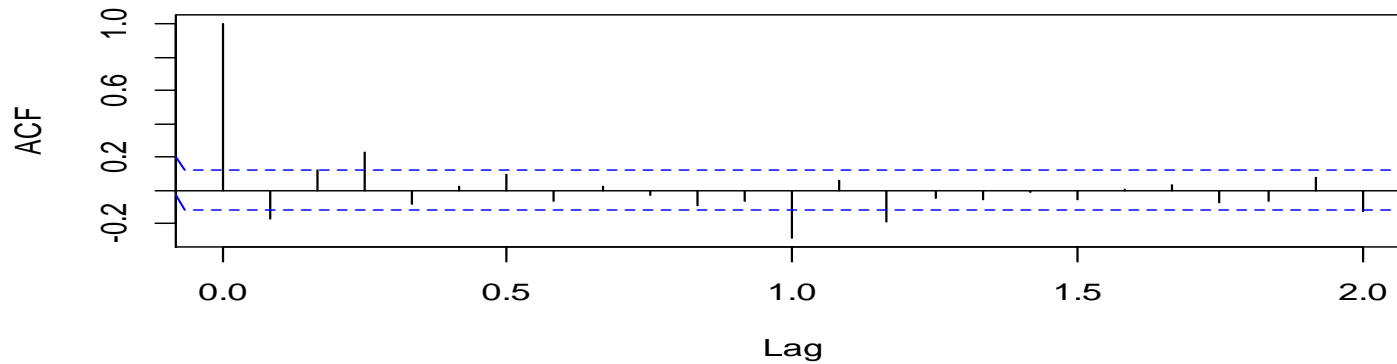
4. DIAGNOSTIC CHECKING

- You may prefer to show the correlogram and partial correlogram of the residuals in a single panel of figures:

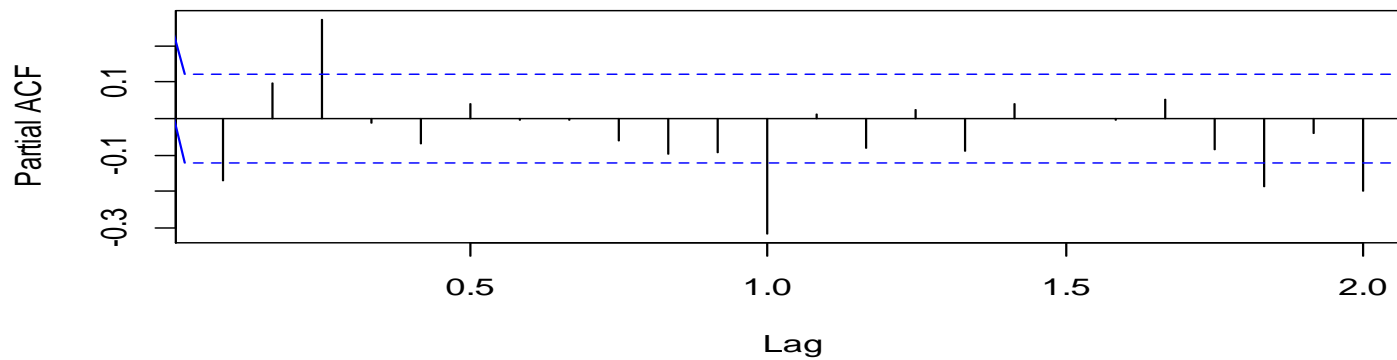
```
par(mfrow=c(2,1))  
acf(residuals(model))  
pacf(residuals(model))  
acf2(residuals(model))
```

4. DIAGNOSTIC CHECKING

Series residuals(model)



Series residuals(model)



4. DIAGNOSTIC CHECKING

- Do they seem the residuals of a white noise process?
- How could you improve model specification?

5. SIMULATIONS OF ARMA(P,Q) MODELS

- Simulation is a very useful tool to:
 - Learn about the properties of different models.
 - Obtaining critical values of different tests.
 - Estimation

5. SIMULATIONS OF ARMA(P,Q) MODELS

- Simulation of AR(1) process with

```
y1 <- arima.sim(n=100, list(ar=0.9),  
  innov=rnorm(100))
```

- Simulation of AR(2) process with and

```
y2 <- arima.sim(n=1000, list(ar=c(0.6,-0.28)))
```